



ISSN (E): 2277- 7695  
 ISSN (P): 2349-8242  
 NAAS Rating: 5.23  
 TPI 2021; SP-10(7): 05-08  
 © 2021 TPI  
[www.thepharmajournal.com](http://www.thepharmajournal.com)  
 Received: 04-05-2021  
 Accepted: 10-06-2021

**Arun Kumar Garov**  
 Department of Mathematics,  
 Lovely Professional University,  
 Phagwara, Punjab, India

**AK Awasthi**  
 Department of Mathematics,  
 Lovely Professional University,  
 Phagwara, Punjab, India

## A computational mathematical model for forecasting of Indian crop

**Arun Kumar Garov and AK Awasthi**

### Abstract

In this paper, we have considering a forecasting of crops, such as Rice, Wheat, and Potatoes of Indian data from 2000 to 2019 year. Mathematical model with regression equation used for forecasting of Indian crop data. Where output experimental result use for the forecasting of next year production of the data.

**Keywords:** Forecasting, regression equation, crops, wheat, rice, potatoes

### Introduction

For the forecasting of the production of the crop have several methods, which based on theoretical calculation and software calculation. Related work of crop production and agricultural field are completed by many agricultural and other field experts. For this paper, we also search some previous work and discuss it. Zhang *et al.* [1] applied single- variable regression in rice grain/vegetables versus natural log-transformed concentration in soil on cropland of China. Hare [2] discussed on the impact of defoliation on Potato yield and applied experiment was repeated seven times in intervals, where one interval is equal to two weeks. Risk- neutral and risk-averse formulations are applied on northeastern Oregon farms data by Nazer *et al.* [3]. Regression based model applied to estimate the impact of multiple pets on crop productivity by Johnson [4]. Gandhi *et al.* [5] applied a neural network for predict the rice production of districts of Maharashtra.

### Regression Model

A good measure of the relationship between two variables is given by the coefficient of correlation which tells about strength and direction of a relationship. After correlation between two variables, we determine a mathematical relationship between them to achieve the following:

1. The value of a variable based on the other variable could be predicted.
2. How does the change in the value of one variable could impact the other explained.

For geometrical convenience and ease, we fit a linear relationship and analyze a regression model. The term regression was coin by Sir Francis Galton in 1885. To figure out the predictive power of an independent variables on the dependent variables there is a term used which is known as "Regression". It deals with the way changes in one variable based on how one or more other variables changes. Regression provides more information rather than correlation.

Dependent and independent variables:

Out of the two variables is considered dependent variable and other one is considered independent variable. For example, out of rainfall and yield of crop rainfall is independent and yield is dependent.

**1. Simple linear Regression Model:** It is a relation between one explanatory variable (X) and one response variable (Y). The simplest relationship is given by X and Y.

$$Y = a + bX + e$$

Where, the dependent variable is Y, the independent variable is X, a constant, b is coefficient and e represents error.

**2. Multiple Linear regression Model:** In some cases, the response variable Y may depend on

**Corresponding Author:**  
**Arun Kumar Garov**  
 Department of Mathematics,  
 Lovely Professional University,  
 Phagwara, Punjab, India

more than one explanatory variable.

$$Y = a + bX_1 + bX_2 + \dots + bX_n + e$$

In this case, Y represents the dependent variable and e is the error. But here we can see the independent variable is present more than one.

**Nomenclature**

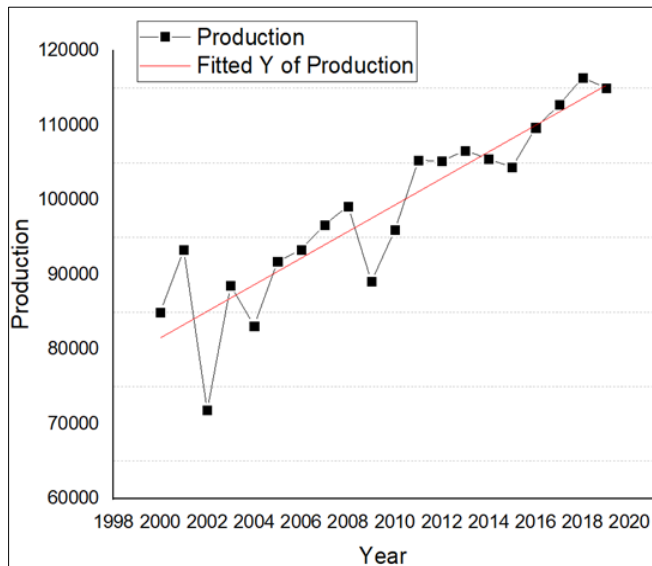
|                         |   |
|-------------------------|---|
| <b>Multiple_R</b>       | <b>Coefficient of correlation</b>                   |
| R <sup>2</sup>          | Coefficient of determination                        |
| SS                      | Sum of Squares                                      |
| MS                      | Mean squared error                                  |
| F                       | Overall test for the null hypothesis                |
| T-State                 | Computed t statistic for intercept and slope        |
| Lower 95% and Upper 95% | Confidence interval estimate of intercept and slope |

**Mathematical calculation processes**

For the calculation of production of rice in India from 2000 to 2019 by Regression model. In Table 1 show a year wise production of rice in India from 2000 to 2019. Figure 1 is a graphical representation of rice data with linear equation.

**Table 1:** Year-wise production data of rice in India

| Year | Production | Year | Production |
|------|------------|------|------------|
| 2000 | 84977      | 2010 | 95970      |
| 2001 | 93334      | 2011 | 105301     |
| 2002 | 71814      | 2012 | 105241     |
| 2003 | 88552      | 2013 | 106646     |
| 2004 | 83127      | 2014 | 105482     |
| 2005 | 91785      | 2015 | 104408     |
| 2006 | 93345      | 2016 | 109698     |
| 2007 | 96682      | 2017 | 112760     |
| 2008 | 99172      | 2018 | 116420     |
| 2009 | 89083      | 2019 | 115000     |



**Fig 1:** Production of Rice in India

Applied regression model on rice (2000-2019) data of India and get the calculated values by software. i.e.

**Input/output expression of Rice production**

|                   |           |
|-------------------|-----------|
| <b>Multiple_R</b> | <b>21</b> |
| R_Square          | 0.815266  |
| Adjusted_R_Square | 0.805003  |
| Standard Error    | 5156.938  |
| Observations      | 20        |

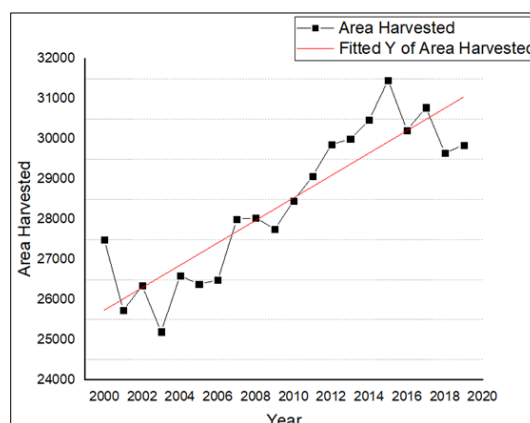
|            | df | SS       | MS       | F        | Significance F |
|------------|----|----------|----------|----------|----------------|
| Regression | 1  | 2.11E+09 | 2.11E+09 | 79.43728 | 5.09E-08       |
| Residual   | 18 | 4.79E+08 | 26594009 |          |                |
| Total      | 19 | 2.59E+09 |          |          |                |

| Coefficients | Standard Error | t Stat   | P-value  | Lower 95% | Upper 95% | Lower 95.0% | Upper 95.0% |          |
|--------------|----------------|----------|----------|-----------|-----------|-------------|-------------|----------|
| Intercept    | -3483195       | 401856.4 | -8.66776 | 7.68E-08  | -4327464  | -2638926    | -4327464    | -2638926 |
| Year         | 1782.351       | 199.9775 | 8.912759 | 5.09E-08  | 1362.214  | 2202.488    | 1362.214    | 2202.488 |

For the calculation of production of wheat in India from 2000 to 2019 by Regression model. Table 2 shows a year-wise production of wheat in India from 2000 to 2019. Figure 2 is a graphical representation of rice data with a linear equation.

**Table 2:** List of wheat production data over area and years

| Year | Area Harvested | Production | Year | Area Harvested | Production |
|------|----------------|------------|------|----------------|------------|
| 2000 | 27486          | 76369      | 2010 | 28457          | 80804      |
| 2001 | 25731          | 69681      | 2011 | 29069          | 86874      |
| 2002 | 26345          | 72766      | 2012 | 29865          | 94882      |
| 2003 | 25196          | 65761      | 2013 | 30003          | 93506      |
| 2004 | 26595          | 72156      | 2014 | 30473          | 95850      |
| 2005 | 26383          | 68637      | 2015 | 31466          | 86527      |
| 2006 | 26484          | 69355      | 2016 | 30220          | 87000      |
| 2007 | 27995          | 75807      | 2017 | 30785          | 98510      |
| 2008 | 28039          | 78570      | 2018 | 29651          | 99870      |
| 2009 | 27752          | 80679      | 2019 | 29850          | 102190     |



**Fig 2:** Area Harvested of wheat

The yearly production of wheat from 2000-2019 with linear equation form is shown in figure 3 and production over area harvested are shown in a graphically form in figure 4.

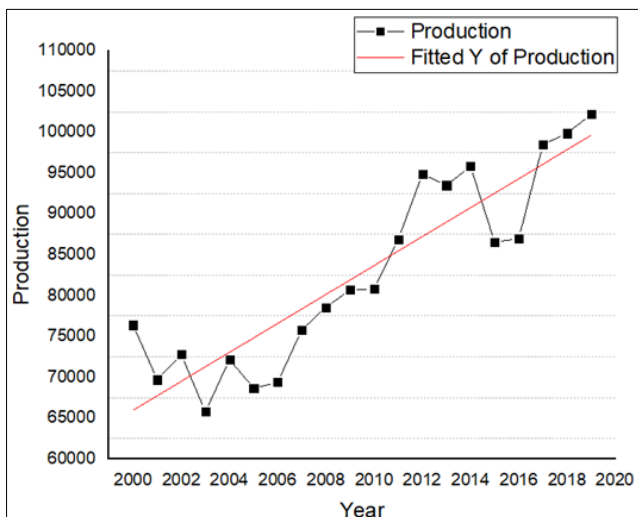


Fig 3: Production of Wheat

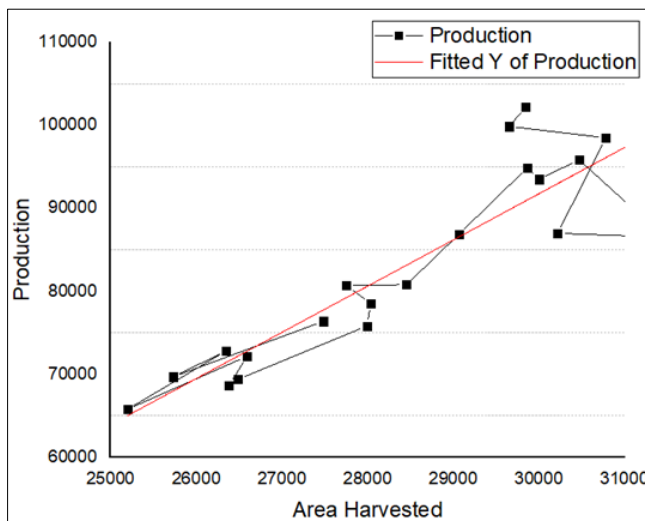


Fig 4: Production over area harvested

**Input/output expression of Wheat production**

|                   |          |
|-------------------|----------|
| Multiple_R        | 0.890971 |
| R_Square          | 0.79383  |
| Adjusted R_Square | 0.782376 |
| Standard Error    | 5422.994 |
| Observations      | 20       |

|            | df | SS       | MS       | F        | Significance F |
|------------|----|----------|----------|----------|----------------|
| Regression | 1  | 2.04E+09 | 2.04E+09 | 69.30659 | 1.38E-07       |
| Residual   | 18 | 5.29E+08 | 29408869 |          |                |
| Total      | 19 | 2.57E+09 |          |          |                |

|                | Coefficients | Standard Error | t Stat   | P-value  | Lower 95% | Upper 95% | Lower 95.0% | Upper 95.0% |
|----------------|--------------|----------------|----------|----------|-----------|-----------|-------------|-------------|
| Intercept      | -75362.4     | 19035.78       | -3.95899 | 0.00092  | -115355   | -35369.7  | -115355     | -35369.7    |
| Area harvested | 5.570257     | 0.669095       | 8.325058 | 1.38E-07 | 4.16454   | 6.975974  | 4.16454     | 6.975974    |

Similarly, for the calculation of production of potato in India from 2000 to 2018 by Regression model. Table 3. Show a year-wise production of potato in India from 2000 to 2018.

Figure 3 is a graphical representation of rice data with a linear equation.

Table 3: Production of Potato in India 2000-2018

| Year | Area | Yield | Production | Year | Area | Yield | Production |
|------|------|-------|------------|------|------|-------|------------|
| 2000 | 1.32 | 17886 | 23.61      | 2010 | 1.83 | 18810 | 34.39      |
| 2001 | 1.34 | 18443 | 24.71      | 2011 | 1.84 | 19951 | 36.58      |
| 2002 | 1.22 | 18404 | 22.49      | 2012 | 1.86 | 22724 | 42.34      |
| 2003 | 1.21 | 19806 | 23.92      | 2013 | 1.91 | 21753 | 41.48      |
| 2004 | 1.35 | 17300 | 23.27      | 2014 | 1.99 | 22760 | 45.34      |
| 2005 | 1.29 | 17887 | 23.06      | 2015 | 1.97 | 21060 | 41.56      |
| 2006 | 1.32 | 17923 | 23.63      | 2016 | 2.08 | 23126 | 48.01      |
| 2007 | 1.4  | 17508 | 23.91      | 2017 | 2.12 | 20509 | 43.42      |
| 2008 | 1.48 | 14943 | 22.18      | 2018 | 2.18 | 22303 | 48.6       |
| 2009 | 1.55 | 18331 | 28.47      |      |      |       |            |

**Input/output expression of Potato production**

|                   |          |
|-------------------|----------|
| Multiple_R        | 0.999137 |
| R_Square          | 0.998274 |
| Adjusted R_Square | 0.998058 |
| Standard Error    | 0.443823 |
| Observations      | 19       |

|            | df | SS       | MS       | F        | Significance F |
|------------|----|----------|----------|----------|----------------|
| Regression | 2  | 1822.912 | 911.4562 | 4627.175 | 7.87E-23       |
| Residual   | 16 | 3.151663 | 0.196979 |          |                |
| Total      | 18 | 1826.064 |          |          |                |

|           | Coefficients | Standard Error | t Stat   | P-value  | Lower 95% | Upper 95% | Lower 95.0% | Upper 95.0% |
|-----------|--------------|----------------|----------|----------|-----------|-----------|-------------|-------------|
| Intercept | -33.3413     | 0.957014       | -34.8389 | 1.62E-16 | -35.3701  | -31.3125  | -35.3701    | -31.3125    |
| Area      | 19.89155     | 0.479728ss     | 41.46423 | 1.03E-17 | 18.87457  | 20.90853  | 18.87457    | 20.90853    |
| Yield     | 0.001703     | 7.23E-05       | 23.54237 | 7.64E-14 | 0.00155   | 0.001857  | 0.00155     | 0.001857    |

### Result and Discussion

Mathematical model with regression model applied on Indian crop of 2020. Crop of Rice production hypothesis is rejected at significance level should be less than 0.5. Calculated value of R square is 0.8153 with standard error 5156.938. The standard error in intercept and Year are 401856.4 and 199.9775, respectively. For year 2020 production of rice is 117154.02 (1000 MT). Crop of Wheat production output expression show the R\_square value is closer to 1. Suppose area is 30395 (1000/HA) then predicted production of wheat is 93947.2685 (1000 MT) of next year. Production of Potato depends on area and yield of crops where apply the multiple linear regression model for calculate the Potato production of data 2000-2018. Calculated values of R, R\_square, and estimate the standard error are 0.999137, 0.998274, and 0.443823, respectively. And higher significant level ( $p < 0.05$ ). If Potato production such as Area = 2.5 (Million HA) and Yield = 206000 (kg/HA) then Predicted production is 51.47 (Million Tons). Such as selected crops of India and its Regression line equation for each crop production by changing area, yield and year in variables:

1. Wheat ( $Y = -3483195 + 1782.351X$ )
2. Rice ( $Y = -75362.4 + 5.5703X$ )
3. Potato ( $Y = -33.3413 + 19.89155X_1 + 0.001703X_2$ )

Where Y is dependent variable and X, X<sub>1</sub>, X<sub>2</sub> are independent variables.

### Conclusion

From this paper analysis we conclude that predicted production analysis of rice in India 2020 described as an increasing factor with respect to the previous years, which is highest in recorded data. In present, the study of wheat production analysis significance is short according to the last three years of the data. Most demanded crop in the market is Potato. So, Predicted production analyses of potato in India are high progress compare to the last twenty years.

### References

1. Zhang H, Luo Y, Song J, Zhang H, Xia J, Zhao Q. Predicting As, Cd and Pb uptake by rice and vegetables using field data from China. *Journal of Environmental Sciences* 2011;23(1):70-78.
2. Hare DJ. Impact of defoliation by the Colorado potato beetle on potato yields. *Journal of Economic Entomology* 1980;73(3):369-373.
3. El- Nazer T, McCarl BA. The choice of crop rotation: a modeling approach and case study. *American Journal of Agricultural Economics* 1986;68(1):127-136.
4. Johnson KB. Evaluation of a mechanistic model that describes potato crop losses caused by multiple pests. *Crops* 1992;9:20.
5. Gandhi N, Petkar O, Armstron LJ. Rice crop yield prediction using artificial neural networks. In 2016 IEEE Technological Innovations in ICT for Agriculture and Rural Development (TIAR) 2016, 105-110. IEEE.